

Introduction to Physical Science

Thermodynamics

Presented by Robert Wagner

First Law of Thermodynamics

- Change in internal energy of a system is equal to the net heat transfer into the system minus the net work done by the system
- Conservation of energy for a system in thermal equilibrium

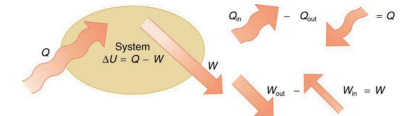


Figure 15.3 The first law of thermodynamics is the conservation-of-energy principle stated for a system where heat and work are the methods of transferring energy for a system in thermal equilibrium. Q represents the net heat transfer—it is the sum of all heat transfers into and out of the system. Q is positive for net heat transfer into the system. W is the total work done on and by the system. W is positive when more work is done by the system than on it. The change in the internal energy of the system, ΔU , is related to heat and work by the first law of thermodynamics, $\Delta U = Q - W$.

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Example

- There is a heat transfer of 40.00 J to a system, while the system does 10.0 J of work. Later, there is heat transfer of 25.00 J out of the system while 4.00 J of work is done on the system. What is the net change in internal energy of the system?
 - Draw a sketch (if applicable)
 - Identify known values
 - Identify equation
 - Enter values in the equation and solve

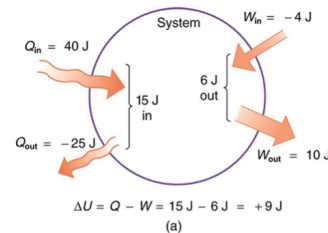
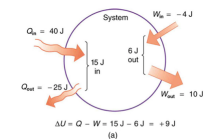


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$$Q_1 = 40.00 \text{ J}; Q_2 = -25.00 \text{ J}$$

$$W_1 = 10.00 \text{ J}; W_2 = -4.00 \text{ J}$$

$$Q_{net} = Q_1 + Q_2$$

$$W_{net} = W_1 + W_2$$

$$Q = 40.00 \text{ J} - 25.00 \text{ J} = 15.00 \text{ J}$$

$$W = 10.00 \text{ J} - 4.00 \text{ J} = 6.00 \text{ J}$$

$$\Delta U = Q - W = 15.00 \text{ J} - 6.00 \text{ J}$$

$$\Delta U = 9.00 \text{ J}$$

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Heat Engine

- A device that uses heat energy to do work
 - Car engine
 - Steam turbines
- Work done depends on the path taken
 - PV diagram
 - Vertical paths - constant volume - isochoric
 - Horizontal paths - constant pressure - isobaric.

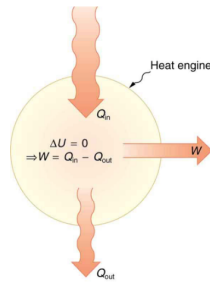


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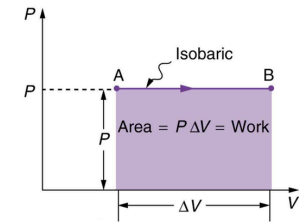


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Example

- Calculate the total work done in the cyclical path ABCDA shown here. Calculate the work done along each segment to get the total work.
 - Draw a sketch (if applicable)
 - Identify known values
 - Identify equation
 - Enter values in the equation and solve

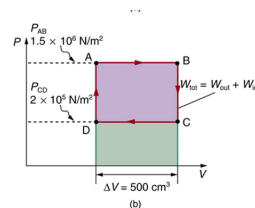
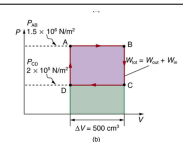


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Example

- Calculate the total work done in the cyclical path ABCDA shown here. Calculate the work done along each segment to get the total work.
 - Draw a sketch (if applicable)
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$$P_{AB} = 1.50 \times 10^6 \text{ N/m}^2; P_{CD} = 2.00 \times 10^5 \text{ N/m}^2$$

$$\Delta V = 500. \text{ cm}^3 = 5.00 \times 10^{-4} \text{ m}^3$$

$$W_{AB} = P_{AB} \Delta V_{AB}$$

$$W_{AB} = (1.50 \times 10^6 \text{ N/m}^2)(5.00 \times 10^{-4} \text{ m}^3) = 750. \text{ J}$$

$$W_{BC} = P_{BC} \Delta V_{BC} = 0$$

$$W_{CD} = P_{CD} \Delta V_{CD}$$

$$W_{CD} = (2.00 \times 10^6 \text{ N/m}^2)(-5.00 \times 10^{-4} \text{ m}^3) = -100. \text{ J}$$

$$W_{DA} = P_{DA} \Delta V_{DA} = 0$$

$$W = W_{AB} + W_{BC} + W_{CD} + W_{DA} = 650. \text{ J}$$

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Reversible Processes

- Reversible process - the system and environment can return to their original states by following the reverse path
- When dissipative processes like friction or turbulence exist, a process cannot be reversible

Second Law of Thermodynamics

- Many process occur spontaneously in one direction only
 - They are irreversible processes
- Heat will never transfer spontaneously from a cool object to a hot one
- Mechanical energy can be completely converted to thermal energy, but the reverse cannot occur
- Air will spread through a container, but not group in a corner

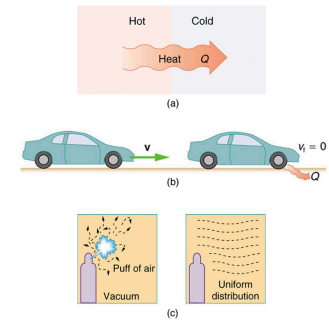


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Second Law of Thermodynamics (2)

- 1st Expression
 - Heat transfer occurs spontaneously from higher to lower temperature bodies, but never spontaneously in the reverse direction.
- Heat Engines
 - Want high efficiency
- 2nd expression
 - It is impossible for any system for heat transfer from a reservoir to completely convert work in a cyclical process in which the system returns to its original state.

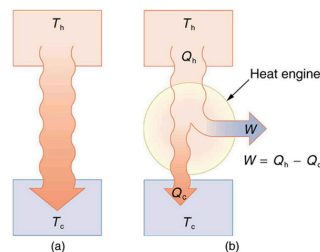


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Cyclical Processes

- A cyclical process brings a system back to its original state at the end of each cycle.
- Conversion efficiency: ratio of what we get to what is input
- Efficiency can never be 1. Some energy is always lost

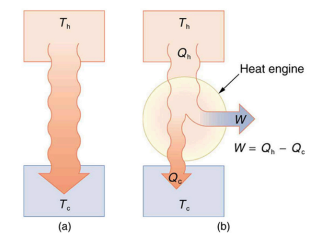


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Example

- A coal power plant uses heat transfer from burning coal to turn turbines which generate electricity. Suppose in a single day, the station has 2.50×10^{14} J heat transfer from coal and 1.48×10^{14} J heat transfer into the environment. What is the work done by the power station? What is the efficiency of the power station?

- Draw a sketch (if applicable)
- Identify known values
- Identify equation
- Enter values in the equation and solve

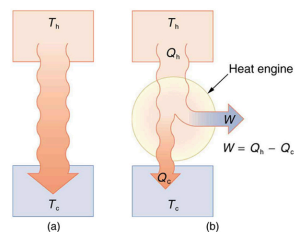


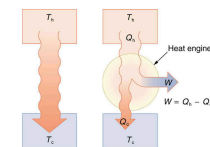
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$$Q_h = 2.50 \times 10^{14} \text{ J}; Q_c = 1.48 \times 10^{14} \text{ J}$$

$$W = Q_h - Q_c$$

$$W = 2.50 \times 10^{14} \text{ J} - 1.48 \times 10^{14} \text{ J} = 1.02 \times 10^{14} \text{ J}$$

$$Eff = \frac{W}{Q_h}$$

$$Eff = \frac{1.02 \times 10^{14} \text{ J}}{2.50 \times 10^{14} \text{ J}} = 0.408 = 40.8 \%$$

Summary

- 1st Law: Law of conservation of energy. Change in energy = energy in less the energy out
- Heat engines are devices that we use to do work on a system
- 2nd Law: A system can never convert heat to work with 100% efficiency