

# Introduction to Physical Science

## Sound

Presented by Robert Wagner

## Sound

- Sound is a disturbance of matter from the source outward - a wave
  - Hearing is the perception of sound waves
  - Not all frequencies of sound can be heard - ultrasound for example
- Vibrating strings can produce sound waves
  - Create impressions and rarefactions that propagate outward in waves

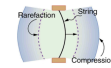


Figure 17.3 A vibrating string moving to the right compresses the air in front of it and expands the air behind it.

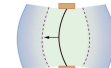


Figure 17.4 As the string moves to the left, it creates another compression and rarefaction as the air on the right moves away from the string.

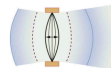


Figure 17.5 After many vibrations, there is a series of compressions and rarefactions moving out from the string as a sound wave. The graph shows gauge pressure versus distance from the source. Pressures vary only slightly from atmospheric for ordinary sounds.

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Image Credit: OpenStax College Physics - Figure 17.3, 17.4, 17.5 CC BY 4.0

## Speed of Sound

- Sound is a wave so it travels at a certain speed and has a frequency (pitch) and a wavelength
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- Speed of sound will vary depending on what it is traveling through
  - Fastest through solids
  - Slowest through gases
  - Cannot travel through a vacuum!

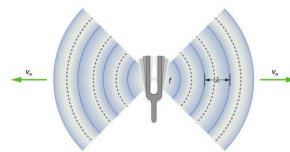


Figure 17.8 A sound wave emanates from a source vibrating at a frequency  $f$ , propagates at  $v_s$ , and has a wavelength  $\lambda$ .

Image Credit: OpenStax College Physics - Figure 16.27 CC BY 4.0

## Sound Waves in Atmosphere

- Sound speed depends on temperature and pressure of atmosphere. At sea level, the speed of sound is
  -
- Examples
  - At  $0^\circ\text{C}$ , the speed of sound is 331 m/s
  - At  $20^\circ\text{C}$ , the speed of sound is 343 m/s
- Speed of sound is nearly independent of frequency.
  - Think what this might mean for music in a large stadium!

## Example

- Calculate the wavelengths of sounds at the extremes of the audible range, 20 and 20,000 Hz (Consider each to have 2 significant figures), in 30.0°C air.
  - Draw a sketch (if applicable)
  - Identify known values
  - Identify equation
  - Enter values in the equation and solve

$$f_{min} = 20 \text{ Hz}; f_{max} = 20,000 \text{ Hz}; T = 30.0^\circ\text{C}$$

$$v_w = (331 \text{ m/s})\sqrt{\frac{T}{273 \text{ K}}}$$

$$v_w = (331 \text{ m/s})\sqrt{\frac{303 \text{ K}}{273 \text{ K}}} = 348.7 \text{ m/s}$$

$$v_w = f\lambda; \lambda = \frac{v_w}{f}$$

$$\lambda_{max} = \frac{348.7 \text{ m/s}}{20 \text{ Hz}} = 17 \text{ m}$$

$$\lambda_{min} = \frac{348.7 \text{ m/s}}{20000 \text{ Hz}} = 1.7 \text{ cm}$$

## Sound Intensities

- Intensity depends on how energetically the source is vibrating
  - A more intense wave will have larger amplitude oscillations
- Sound intensities are often measured in decibels
  - Defined in terms of logarithms

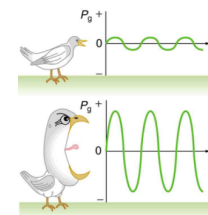


Image Credit: OpenStax College Physics - Figure 17.12 CC BY 4.0

## Decibel Scale

- Log scale shows a large range with small numbers

Sound intensity level $\beta$ (dB)	Intensity $I$ ( $\text{W/m}^2$ )	Example/effect
0	$1 \times 10^{-12}$	Threshold of hearing at 1000 Hz
10	$1 \times 10^{-11}$	Rustle of leaves
20	$1 \times 10^{-10}$	Whisper at 1 m distance
30	$1 \times 10^{-9}$	Quiet home
40	$1 \times 10^{-8}$	Average home
50	$1 \times 10^{-7}$	Average office, soft music
60	$1 \times 10^{-6}$	Normal conversation
70	$1 \times 10^{-5}$	Noisy office, busy traffic
80	$1 \times 10^{-4}$	Loud radio, classroom lecture
90	$1 \times 10^{-3}$	Inside a heavy truck; damage from prolonged exposure <sup>1</sup>
100	$1 \times 10^{-2}$	Noisy factory, siren at 30 m; damage from 8 h per day exposure
110	$1 \times 10^{-1}$	Damage from 30 min per day exposure
120	1	Loud rock concert, pneumatic chipper at 2 m; threshold of pain
140	$1 \times 10^2$	Jet airplane at 30 m; severe pain, damage in seconds
160	$1 \times 10^4$	Bursting of eardrums

Image Credit: OpenStax College Physics - Table 17.2 CC BY 4.0

## Example

- A sound wave traveling in the atmosphere has an intensity of  $I = 5.04 \times 10^{-4} \text{ W/m}^2$ . What would this be in decibels?
  - Draw a sketch (if applicable)
  - Identify known values
  - Identify equation
  - Enter values in the equation and solve

$$I = 5.04 \times 10^{-4} \text{ W/m}^2$$

$$\beta(\text{dB}) = 10 \log_{10} \frac{I}{I_0}$$

$$\beta(\text{dB}) = 10 \log_{10} \frac{5.04 \times 10^{-4} \text{ W/m}^2}{10^{-12} \text{ W/m}^2}$$

$$\beta(\text{dB}) = 87 \text{ dB}$$

## Summary

- Sound waves are a disturbance of matter that propagates outward from a source at a frequency our ears are sensitive to
- The speed of sound depends on the medium through which it travel and the temperature
- We can measure the intensity of sound using the logarithmic scale - decibels