11.5: Particle Accelerators and Detectors

Learning Objectives

By the end of this section, you will be able to:

- Compare and contrast different types of particle accelerators
- Describe the purpose, components, and function of a typical colliding beam machine
- Explain the role of each type of subdetector of a typical multipurpose particle detector
- Use the curvature of a charge track to determine the momentum of a particle

The goal of experimental particle physics is to accurately measure elementary particles. The primary method used to achieve this end is to produce these particles in high-energy collisions and then measure the products of using highly sensitive particle detectors. These experiments are used to test and revise scientific models of particle interactions. The purpose of this section is to describe particle accelerators and detectors. Modern machines are based on earlier ones, so it is helpful to present a brief history of accelerators and detectors.

A particle accelerator is a machine designed to accelerate charged particles. This acceleration is usually achieved with strong electric fields, magnetic fields, or both. A simple example of a particle accelerator is the Van de Graaff accelerator (see Electric Potential). This type of accelerator collects charges on a hollow metal sphere using a moving belt. When the electrostatic potential difference of the sphere is sufficiently large, the field is used to accelerate particles through an evacuated tube. Energies produced by a Van de Graaff accelerator are not large enough to create new particles, but the machine was important for early exploration of the atomic nucleus.

Larger energies can be produced by a linear accelerator (called a “linac”). Charged particles produced at the beginning of the linac are accelerated by a continuous line of charged hollow tubes. The voltage between a given pair of tubes is set to draw the
charged particle in, and once the particle arrives, the voltage between the next pair of tubes is set to push the charged particle out. In other words, voltages are applied in such a way that the tubes deliver a series of carefully synchronized electric kicks (Figure \(\PageIndex{1}\)). Modern linacs employ radio frequency (RF) cavities that set up oscillating electromagnetic fields, which propel the particle forward like a surfer on an ocean wave. Linacs can accelerate electrons to over 100 MeV. (Electrons with kinetic energies greater than 2 MeV are moving very close to the speed of light.) In modern particle research, linear accelerators are often used in the first stage of acceleration.

Figure \(\PageIndex{1}\): In a linear accelerator, charged tubes accelerate particles in a series of electromagnetic kicks. Each tube is longer than the preceding tube because the particle is moving faster as it accelerates.

Example

**Accelerating Tubes**

A linear accelerator designed to produce a beam of 800-MeV protons has 2000 accelerating tubes separated by gaps. What average voltage must be applied between tubes to achieve the desired energy? (Hint: \(U = qV\).)

**Strategy**

The energy given to the proton in each gap between tubes is \(U = qV\), where \(q\) is the proton’s charge and \(V\) is the potential difference (voltage) across the gap. Since \(q = q_e = 1.6 \times 10^{-19} \text{C}\) and \(1 \text{ eV} = 1 \text{ V} (1.6 \times 10^{-19} \text{C})\), the proton gains 1 eV in energy for each volt across the gap that it passes through. The ac voltage applied to the tubes is timed so that it adds to the energy in each gap. The effective voltage is the sum of the gap voltages and equals 800 MV to give each proton an energy of 800 MeV.

**Solution**

There are 2000 gaps and the sum of the voltages across them is 800 MV. Therefore, the average voltage applied is 0.4 MV or 400 kV.

**Significance**

A voltage of this magnitude is not difficult to achieve in a vacuum. Much larger gap voltages would be required for higher
energy, such as those at the 50-GeV SLAC facility. Synchrotrons are aided by the circular path of the accelerated particles, which can orbit many times, effectively multiplying the number of accelerations by the number of orbits. This makes it possible to reach energies greater than 1 TeV.

Check Your Understanding How much energy does an electron receive in accelerating through a 1-V potential difference?

[Hide Solution]

1 eV

The next-generation accelerator after the linac is the **cyclotron** (Figure \( \PageIndex{2} \)). A cyclotron uses alternating electric fields and fixed magnets to accelerate particles in a circular spiral path. A particle at the center of the cyclotron is first accelerated by an electric field in a gap between two D-shaped magnets (Dees). As the particle crosses over the D-shaped magnet, the particle is bent into a circular path by a Lorentz force. (The Lorentz force was discussed in Magnetic Forces and Fields.) Assuming no energy losses, the momentum of the particle is related to its radius of curvature by

\[
p = 0.3 B r
\]

where \( p \) is the momentum in \( \text{GeV}/c \), \( B \) is in teslas, and \( r \) is the radius of the trajectory (“orbit”) in meters. This expression is valid to classical and relativistic velocities. The circular trajectory returns the particle to the electric field gap, the electric field is reversed, and the process continues. As the particle is accelerated, the radius of curvature gets larger and larger—spirally outward—until the electrons leave the device.

A **synchrotron** is a circular accelerator that uses alternating voltage and increasing magnetic field strength to accelerate particles to higher energies. Charged particles are accelerated by RF cavities, and steered and focused by magnets. RF cavities are synchronized to deliver “kicks” to the particles as they pass by, hence the name. Steering high-energy particles requires
strong magnetic fields, so superconducting magnets are often used to reduce heat losses. As the charged particles move in a circle, they radiate energy: According to classical theory, any charged particle that accelerates (and circular motion is an accelerated motion) also radiates. In a synchrotron, such radiation is called synchrotron radiation. This radiation is useful for many other purposes, such as medical and materials research.

Example

The Energy of an Electron in a Cyclotron

An electron is accelerated using a cyclotron. If the magnetic field is 1.5 T and the radius of the “Dees” is 1.2 m, what is the kinetic energy of the outgoing particle?

Strategy

If the radius of orbit of the electron exceeds the radius of the “Dees,” the electron exits the device. So, the radius of the “Dees” places an upper limit on the radius and, therefore, the momentum and energy of the accelerated particle. The exit momentum of the particle is determined using the radius of orbit and strength of the magnetic field. The exit energy of the particle can be determined the particle momentum (Relativity).

Solution

Assuming no energy losses, the momentum of the particle in the cyclotron is

\[ p = 0.3 \times B \times r = 0.3 \times (1.5 \, \text{T}) \times (1.2 \, \text{m}) = 0.543 \, \text{GeV/c}. \]

The momentum energy \(p c^2 = 0.543 \, \text{GeV} = 543 \, \text{MeV} \) is much larger than the rest mass energy of the electron, \(mc^2 = 0.511 \, \text{MeV} \), so relativistic expression for the energy of the electron must be used (see Relativity). The total energy of the electron is

\[ E_{\text{total}} = \sqrt{(pc)^2 + (mc^2)^2} = \sqrt{(543)^2 + (0.511)^2} \approx 543 \, \text{MeV}, \text{ and} \]

\[ K = E_{\text{total}} - mc^2 = 543 \, \text{GeV} - 0.511 \, \text{GeV} \approx 543 \, \text{MeV}. \]

Significance

The total energy of the electron is much larger than its rest mass energy. In other words, the total energy of the electron is almost all in the form of kinetic energy. Cyclotrons can be used to conduct nuclear physics experiments or in particle therapy to treat cancer.

Check Your Understanding A charged particle of a certain momentum travels in an arc through a uniform magnetic field. What happens if the magnetic field is doubled?

[Hide Solution]

The radius of the track is cut in half.
New particles can be created by colliding particles at high energies. According to Einstein’s mass-energy relation, the energies of the colliding particles are converted into mass energy of the created particle. The most efficient way to do this is with particle-colliding beam machines. A colliding beam machine creates two counter-rotating beams in a circular accelerator, stores the beams at constant energy, and then at the desired moment, focuses the beams on one another at the center of a sensitive detector.

The prototypical colliding beam machine is the Cornell Electron Storage Ring, located in Ithaca, New York (Figure \(\PageIndex{3}\)). Electrons (\(e^-\)) and positrons (\(e^+\)) are created at the beginning of the linear accelerator and are accelerated up to 150 MeV. The particles are then injected into the inner synchrotron ring, where they are accelerated by RF cavities to 4.5 to 6 GeV. When the beams are up to speed, they are transferred and “stored” in an outer storage ring at the same energy. The two counter-rotating beams travel through the same evacuated pipe, but are kept apart until collisions are desired. The electrons and positrons circle the machine in bunches 390,000 times every second.

![Cornell Electron Storage Ring diagram](credit: modification of work by Laboratory of Nuclear Studies, Cornell Electron Storage Ring)

When an electron and positron collide, they annihilate each other to produce a photon, which exists for too short a time to be detected. The photon produces either a lepton pair (e.g., an electron and position, muon or antimuon, or tau and antitau) or a quark pair. If quarks are produced, mesons form, such as \(c\overline{c}\) and \(b\overline{b}\). These mesons are created nearly at rest since the initial total momentum of the electron-positron system is zero. Note, mesons cannot be created at just any colliding energy but only at “resonant” energies that correspond to the unique masses of the mesons (Table 11.4.3). The mesons created in this way are highly unstable and decay quickly into lighter particles, such as electrons, protons, and...
photons. The collision “fragments” provide valuable information about particle interactions.

As the field of particle physics advances, colliding beam machines are becoming more powerful. The **Large Hadron Collider** (LHC), currently the largest accelerator in the world, collides protons at beam energies exceeding 6 TeV. The center-of-mass energy \( W \) refers to the total energy available to create new particles in a colliding machine, or the total energy of incoming particles in the center-of-mass frame. (The concept of a center-of-mass frame of reference is discussed in Linear Momentum and Collisions.) Therefore, the LHC is able to produce one or more particles with a total mass exceeding 12 TeV. The center-of-mass energy is given by:

\[
W^2 = 2[E_1E_2 + (p_1c)(p_2c)] + (m_1c^2)^2 + (m_2c^2)^2, \]

where \( (E_1) \) and \( (E_2) \) are the total energies of the incoming particles (1 and 2), \( (p_1) \) and \( (p_2) \) are the magnitudes of their momenta, and \( (m_1) \) and \( (m_2) \) are their rest masses.

**Example**

**Creating a New Particle**

The mass of the upsilon \((\Upsilon)\) meson \((b\overline{b})\) is created in a symmetric electron-positron collider. What beam energy is required?**

**Strategy**

The Particle Data Group has stated that the rest mass energy of this meson is approximately 10.58 GeV. The above expression for the center-of-mass energy can be simplified because a symmetric collider implies \( (\vec{p}_1 = -\vec{p}_2) \). Also, the rest masses of the colliding electrons and positrons are identical \( (m_ec^2 = 0.511 \, \text{MeV}) \) and much smaller than the mass of the energy particle created. Thus, the center-of-mass energy \( (W) \) can be expressed completely in terms of the beam energy, \( (E_{\text{beam}} = E_1 = E_2) \).

**Solution**

Based on the above assumptions, we have

\[
W^2 \approx 2[E_1E_2 + E_1E_2] = 4E_1E_2 = 4E_1^2. \]

The beam energy is therefore

\[
E_{\text{beam}} \approx \frac{W}{2}. \]

The rest mass energy of the particle created in the collision is equal to the center-of-mass energy, so

\[
E_{\text{beam}} \approx \frac{10.58 \, \text{GeV}}{2} = 5.29 \, \text{GeV} \]

**Significance**
Given the energy scale of this problem, the rest mass energy of the upsilon (\(\Upsilon\)) meson is due almost entirely due to the initial kinetic energies of the electron and positrons. This meson is highly unstable and quickly decays to lighter and more stable particles. The existence of the upsilon (\(\Upsilon\)) particle appears as a dramatic increase of such events at 5.29 GeV.

**Check Your Understanding** Why is a symmetric collider “symmetric?”

The colliding particles have identical mass but opposite vector momenta.

Higher beam energies require larger accelerators, so modern colliding beam machines are very large. The LHC, for example, is 17 miles in circumference (**Figure 5.10.3**). (In the 1940s, Enrico Fermi envisioned an accelerator that encircled all of Earth!) An important scientific challenge of the twenty-first century is to reduce the size of particle accelerators.

The purpose of a particle detector is to accurately measure the outcome of collisions created by a particle accelerator. The detectors are multipurpose. In other words, the detector is divided into many subdetectors, each designed to measure a different aspect of the collision event. For example, one detector might be designed to measure photons and another might be designed to measure muons. To illustrate how subdetectors contribute to an understanding of an entire collision event, we describe the subdetectors of the Compact Muon Solenoid (CMS), which was used to discover the Higgs Boson at the LHC (**Figure (\(\PageIndex{4}\))**).

![Compact Muon Solenoid detector](credit: David Barney/CERN)

The beam pipe of the detector is out of (and into) the page at the left. Particles produced by \(pp\) collisions (the “collision fragments”) stream out of the detector in all directions. These particles encounter multiple layers of subdetectors. A subdetector is a particle detector within a larger system of detectors designed to measure certain types of particles. There are several main types of subdetectors. Tracking devices determine the path and therefore momentum of a particle; calorimeters measure a particle’s energy; and particle-identification detectors determine a particle’s identity (mass).

The first set of subdetectors that particles encounter is the silicon tracking system. This system is designed to measure the momentum of charged particles (such as electrons and protons). The detector is bathed in a uniform magnetic field, so the charged particles are bent in a circular path by a Lorentz force (as for the cyclotron). If the momentum of the particle is large,
the radius of the trajectory is large, and the path is almost straight. But if the momentum is small, the radius of the trajectory is small, and the path is tightly curved. As the particles pass through the detector, they interact with silicon microstrip detectors at multiple points. These detectors produce small electrical signals as the charged particles pass near the detector elements. The signals are then amplified and recorded. A series of electrical “hits” is used to determine the trajectory of the particle in the tracking system. A computer-generated “best fit” to this trajectory gives the track radius and therefore the particle momentum. At the LHC, a large number of tracks are recorded for the same collision event. Fits to the tracks are shown by the blue and green lines in Figure \(\PageIndex{5}\).

Beyond the tracking layers is the electromagnetic calorimeter. This detector is made of clear, lead-based crystals. When electrons interact with the crystals, they radiate high-energy photons. The photons interact with the crystal to produce electron-positron pairs. Then, these particles radiate more photons. The process repeats, producing a particle shower (the crystal “glows”). A crude model of this process is as follows.

An electron with energy \(E_0\) strikes the crystal and loses half of its energy in the form of a photon. The photon produces an electron-positron pair, and each particle proceeds away with half the energy of the photon. Meanwhile, the original electron radiates again. So, we are left with four particles: two electrons, one positron, and one photon, each with an energy \(\frac{1}{4}E_0\). The number of particles in the shower increases geometrically. After \(n\) radiation events, there are \(2^n\) particles. Hence, the total energy per particle after \(n\) radiation events is

\[
E(t) = \frac{E_0}{2^n}
\]

where \(E_0\) is the incident energy and \(E(t)\) is the amount of energy per particle after \(n\) events. An incoming photon triggers a similar chain of events (Figure \(\PageIndex{6}\)). If the energy per particle drops below a particular threshold value, other types of radiative processes become important and the particle shower ceases. Eventually, the total energy of the incoming particle is absorbed and converted into an electrical signal.
Figure \(\PageIndex{6}\): (a) A particle shower produced in a crystal calorimeter. (b) A diagram showing a typical sequence of reactions in a particle shower.

Beyond the crystal calorimeter is the hadron calorimeter. As the name suggests, this subdetector measures hadrons such as protons and pions. The hadron calorimeter consists of layers of brass and steel separated by plastic scintillators. Its purpose is to absorb the particle energy and convert it into an electronic signal. Beyond this detector is a large magnetic coil used to produce a uniform field for tracking.

The last subdetector is the muon detector, which consists of slabs of iron that only muons (and neutrinos) can penetrate. Between the iron slabs are multiple types of muon-tracking elements that accurately measure the momentum of the muon. The muon detectors are important because the Higgs boson (discussed soon) can be detected through its decays to four muons—hence the name of the detector.

Once data is collected from each of the particle subdetectors, the entire collision event can be assessed. The energy of the \(i\)th particle is written

\[
E_i = \sqrt{(p_i c)^2 + (m_i c^2)^2},
\]

where \(p_i\) is the absolute magnitude of the momentum of the \(i\)th particle, and \(m_i\) is its rest mass.

The total energy of all particles is therefore

\[
E_{\text{total}} = \sum_i E_i.
\]

If all particles are detected, the total energy should be equal to the center-of-mass energy of the colliding beam machine (\(W\)). In practice, not all particles are identified, either because these particles are too difficult to detect (neutrinos) or because these particles “slip through.” In many cases, whole chains of decays can be “reconstructed,” like putting back together a watch that has been smashed to pieces. Information about these decay chains are critical to the evaluation of models of particle interactions.

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